1) Calculate the **amount of energy** required <u>to raise</u> the temperature of **73.2 grams** of water from **23.1°C** to **98.6°C**. (Specific Heat of Water = **4.184 J/g·°C**)

Raising the temperature means heat is absorbed, so Q is positive.

$$Q = m \cdot C_p \cdot (T_{final} - T_{initial})$$

$$Q = (73.2 g) \cdot (4.184 \frac{J}{g \circ C}) \cdot (98.6 \circ C - 23.1 \circ C)$$

$$Q = +23123.2944 J \qquad \text{sig figs} \rightarrow +23,100 J \quad or \quad +23.1 kJ$$

2) The specific heat capacity of copper is 0.3845 J/g.°C. If 245 Joules of energy is required to <u>raise the temperature</u> of a sample of copper from 25.0°C to 50.0°C, what is the mass of the sample?

$$m = \frac{Q}{C_p \cdot (T_{final} - T_{initial})}$$

$$m = \frac{+245 J}{(0.3845 \frac{J}{g \circ C}) \cdot (50.0 \circ C - 25.0 \circ C)}$$

$$m = 25.48764629 \quad sig figs \rightarrow 25.5 g$$

3) A **30.0** gram sample requires **930** Joules of energy to *increase the temperature* by **25°C**. What is the specific heat capacity of the sample? Identify the sample using the table to the right.

$$C_{p} = \frac{Q}{m \cdot \Delta T}$$

$$C_{p} = \frac{+930 J}{(30.0 g) \cdot (25 \, ^{\circ}\text{C})}$$

$$C_{p} = 1.24 \frac{J}{a \, ^{\circ}\text{C}} \quad sig \, figs \rightarrow \frac{1.2 \frac{J}{a \, ^{\circ}\text{C}}}{30.0 g}$$

Element	Specific Heat (J/g·°C)
Beryllium	1.824
<mark>Sodium</mark>	<mark>1.224</mark>
Magnesium	1.024
Aluminum	0.9025
Calcium	0.6315

Note: ΔT means the CHANGE in Temperature. When using a Δ symbol, always measure the change by calculating the FINAL minus the INITIAL.

4) A 10.0 g brass sample is heated to 82.3°C and dropped into a calorimeter containing 25.0 g of liquid water at 22.0°C. The accepted specific heat of brass is known to be 0.377 J/g·°C. Calculate the final temperature of the mixture? (The specific heat of water is 4.184 J/g·°C.)

Note: Based on the <u>Law of Energy Conservation</u>, the amount of HEAT absorbed (+Q) by the water is equal to the amount of HEAT transferred (-Q) by the metal.

$$+Q_{water} = -Q_{brass}$$

$$+ \left[m_{w} \cdot C_{p_{w}} \cdot \left(T_{final_{w}} - T_{initial_{w}} \right) \right] = -\left[m_{b} \cdot C_{p_{b}} \cdot \left(T_{final_{b}} - T_{initial_{b}} \right) \right]$$

$$+ \left[(25.0 \ g) \cdot (4.184 \ \frac{J}{g \circ C}) \cdot \left(T_{final_{w}} - 22.0 \circ C \right) \right] = -\left[(10.0 \ g) \cdot (0.377 \ \frac{J}{g \circ C}) \cdot \left(T_{final_{b}} - 82.3 \circ C \right) \right]$$

The Key to solving this problem is to recognize that $T_{final_w} = T_{final_b}$.

$$104.6 \frac{J}{\circ c} \cdot (T_{final} - 22.0 \circ C) = -3.77 \frac{J}{\circ c} \cdot (T_{final} - 82.3 \circ C)$$

$$104.6 T_{final} - 2301.2 = -3.77 T_{final} + 310.271$$

$$+3.77 T_{final} = +3.77 T_{final}$$

$$108.37 T_{final} - 2301.2 = +310.271$$

$$+2301.2 = +2301.2$$

$$\frac{108.37 T_{final}}{108.37} = \frac{2611.471}{108.37}$$

 $T_{final} = 24.09773$ °C

with proper sig figs = 24.1° C